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750. $15 \cdot 3 \cdot 5 (4d + 10) 15 \cdot 3 \cdot 5 (4d + 10) 780$. In total, they need \$27.75. Simplify: $715 \cdot 823 \cdot 157 \cdot 715 \cdot 823 \cdot 157$. $r(s - 18)r(s - 18)792$. Using the distributive property as shown in Example 1.134 will be very useful when we solve money applications in later chapters. Simplify: $-6(8n+11), -6(8n+11)$. We summarize the Identity Properties below.

$3(x+4)(x+4)$ Distribute: $9(5y - 13)9(5y - 13)788$. Simplify: $8(x-14)(x-14)$ using the distributive property and explain each step. Of addition if a, b, c are real numbers, then $a+b=b+a$ of Multiplication if a, b, c are real numbers, then $a \cdot b = b \cdot a$. When adding or multiplying, changing the order gives the same result. In your own words, state the commutative property of addition. If we change how the numbers are grouped, the result will be the same. So the multiplicative inverse of 0.9 is 109.109. $(34+910m)^0$ where $34+910m \neq 0$ $725. (34+910m)^0$ where $34+910m \neq 0$ $778. 78 + 27 + 8 + 2$ Some people would think $7+8i+15+8i+15$ and then $15+2i+17+15+2i+17$. Therefore, the additive inverse of $-8-8$ is 8. 823823 Simplify: $916 \cdot 549 \cdot 169 \cdot 916 \cdot 549 \cdot 169$. So we call 1 the multiplicative identity. $-36 \cdot 11 \cdot 4 \cdot 9 \cdot -36 \cdot 11 \cdot 4 \cdot 9 \cdot 733. 6(c-13)784$. For any real number a , except 0, $0 \cdot a = 0a = 0$ and $a \cdot 0 = 0 \cdot a = 0$. Thus, the multiplicative inverse of $-19-19$ is $-9-9$. Simplify: $617 \cdot 1125 \cdot 176 \cdot 617 \cdot 1125 \cdot 176$. The additive inverse of $-43-43$ is the opposite of $-43-43$. Simplify: $0n+5, 0n+5$, where $n \neq -5$ $10-3p0, 10-3p0$, where $10-3p \neq 0, 10-3p \neq 0$. We write the opposite of $-8-8$ as $-(-8)$, and then simplify it to 8. $-84n+84n+(-73n)-84n+84n+(-73n)$ Add left to right. Use the associative property to simplify $6(3x), 6(3x)$, $43m + (-12n) + (-16m) + (-16n) + (-16m) + (-16n) + (-9n)746. u(v-10)u(v-10)793$. Simplify: $-(78-15y)-(78-15y)$. Simplify: $8(x-1)-(x+5), 8(x-1)-(x+5)$, $9(3w+7)9(3w+7)783$. In the order of combination like terms in the next example, we will use the commutative property of addition to write the like terms together. If the expression inside the parentheses cannot be simplified, the next step would be multiplying using the distributive property, which removes the parentheses. Multiply: $12(5p)12(5p)744$. Since changing the order of the division did not give the same result, division is not commutative. As a member, we use parentheses as grouping symbols to indicate which operation should be done first: $0 \cdot (y-16)0 \cdot (y-16)$, where $y \neq 16$ $\neq 16$. Suppose that three friends are going to the movies. This leads to the Inverse Property of Multiplication that states that for any real number $a, a \cdot 0, a \cdot 1 = 1, a \cdot a = a, a \cdot 1 = 1$. After reviewing this checklist, what will you do to become confident for all objectives? After completing these exercises, use this checklist to evaluate your mastery of the objectives of this section. 818. But we cannot add x and 4, since they are not like terms. $-22p + 7q + -35p + (-27q) - 22p + 17q + (-35p) + (-27q)747. (3x-7) - (3x-7) - 3x + 21$. Zero divided by any real number except itself is 0. The additive inverse of 5858 is the opposite of 5858. $0n+4, 99u+4, 99772$. Explain how you can multiply \$5.97 without paper and calculator by thinking of \$5.97 as $6 - 0.036 - 0.001$ and then use the distributive property. So, $0 \cdot 3 = 0, 0 + 3 = 3$ We can check our work with the related multiplication fact. 12. $12(12n+34)12(12n+34)$. For example, if you are asked to multiply $3(4), 3(4), 3(4), 3(4)$, the order of operations says to work in the parentheses first. Doing so gives the same result: $3-723-723$. Find the additive inverse of $7979, 12.1.2.14-14-14-94-94$. Division of Zero, Division by Zero. For any real number $a, a \cdot 0, a \cdot 0 = 0$. Zero divided by any real number except itself is zero. As we can see, the order of operations does not matter! What about multiplying $5 \cdot 3 \cdot 5 \cdot 3 \cdot 5 \cdot 3 \cdot 5$? We saw that subtraction and division were not commutative. $-1(y+5) - 1(y+5)$. Distribute: $(7+8)+2$ $15+2$ $17+2$ 17 . Add $9+28+2$. Calculate the length of time needed to roast the turkey. First, by multiplying $24 \cdot 20 \cdot 20$ to find the total number of minutes and then multiplying the answer by 160160 to convert minutes into hours. $5 \cdot 33 \cdot 51515 \cdot 33 \cdot 51515 \cdot 5 \cdot 3 \cdot 3 \cdot 5 \cdot 3 \cdot 5$. Again, the results are the same! The order in which we multiply does not matter! These examples illustrate the commutative property. 756. $6(3x)6(3x)$. Change the grouping. Multiplication by Zero. For any real number $a, a \cdot 0 = 0 \cdot a = 0 = 0 \cdot a = 0$. The product of any number and 0 is 0. Therefore, the multiplicative inverse of 9 is 19.19. Simplify: $0d-4, where d=40d-4, where d=4$.

After reviewing this checklist, what will you do to become confident for all objectives? After completing these exercises, use this checklist to evaluate your mastery of the objectives of this section. 818. But we cannot add x and 4, since they are not like terms. $-22p + 7q + -35p + (-27q) - 22p + 17q + (-35p) + (-27q)747. (3x-7) - (3x-7) - 3x + 21$. Zero divided by any real number except itself is 0. The additive inverse of 5858 is the opposite of 5858. $0n+4, 99u+4, 99772$. Explain how you can multiply \$5.97 without paper and calculator by thinking of \$5.97 as $6 - 0.036 - 0.001$ and then use the distributive property. So, $0 \cdot 3 = 0, 0 + 3 = 3$ We can check our work with the related multiplication fact. 12. $12(12n+34)12(12n+34)$. For example, if you are asked to multiply $3(4), 3(4), 3(4), 3(4)$, the order of operations says to work in the parentheses first. Doing so gives the same result: $3-723-723$. Find the additive inverse of $7979, 12.1.2.14-14-14-94-94$. Division of Zero, Division by Zero. For any real number $a, a \cdot 0, a \cdot 0 = 0$. Zero divided by any real number except itself is zero. As we can see, the order of operations does not matter! What about multiplying $5 \cdot 3 \cdot 5 \cdot 3 \cdot 5 \cdot 3 \cdot 5$? We saw that subtraction and division were not commutative. $-1(y+5) - 1(y+5)$. Distribute: $(7+8)+2$ $15+2$ $17+2$ 17 . Add $9+28+2$. Calculate the length of time needed to roast the turkey. First, by multiplying $24 \cdot 20 \cdot 20$ to find the total number of minutes and then multiplying the answer by 160160 to convert minutes into hours. $5 \cdot 33 \cdot 51515 \cdot 33 \cdot 51515 \cdot 5 \cdot 3 \cdot 3 \cdot 5 \cdot 3 \cdot 5$. Again, the results are the same! The order in which we multiply does not matter! These examples illustrate the commutative property. 756. $6(3x)6(3x)$. Change the grouping. Multiplication by Zero. For any real number $a, a \cdot 0 = 0 \cdot a = 0 = 0 \cdot a = 0$. The product of any number and 0 is 0. Therefore, the multiplicative inverse of 9 is 19.19. Simplify: $0d-4, where d=40d-4, where d=4$.

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